

ELL 301

12.02.2019

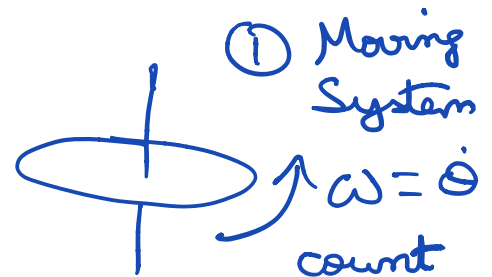
voltage, current, power ... energy
(V) (A) (W) (kW-hr)

Energy Meters (\equiv Watt-hour meters)

Instrument used to measure energy consumption.

↳ Digital / Electronic Meters

↳ Analog Meters



↳ Smart Meters

Analog Meters

- What do we want the angular velocity of the disc to be proportional to?

↳ at steady-state, $\omega \propto$ power, $VI \cos \phi$

- Why $\omega \propto$ power? Because torque should be proportional to power?

↳ If we are counting total angle turned,

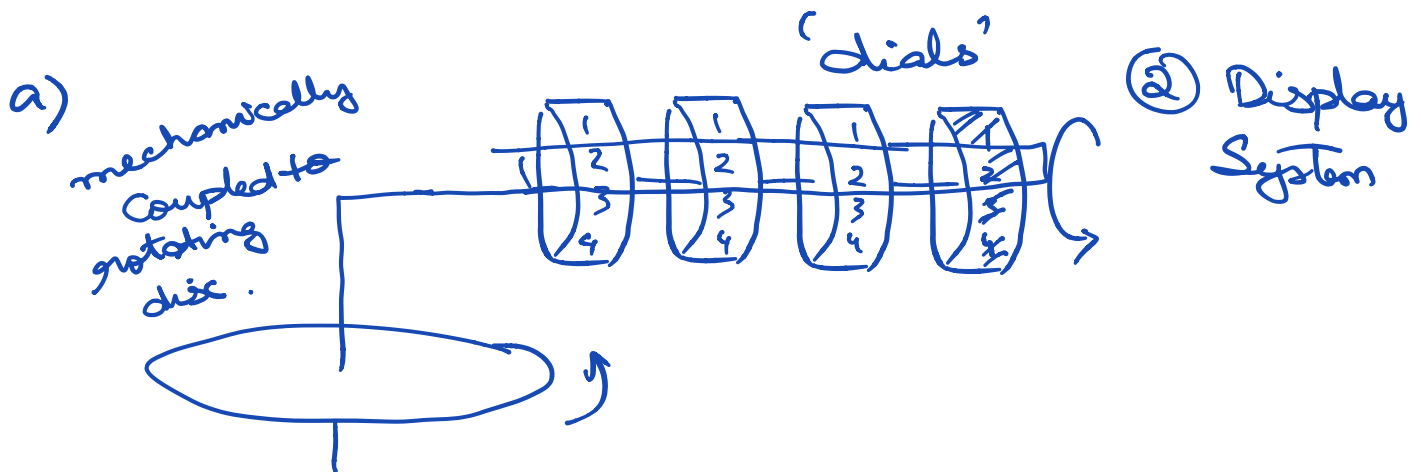
$$\theta = \int \omega dt \propto \int \underbrace{VI \cos \phi}_{\text{power}} dt$$

\downarrow
 $= \frac{d\theta}{dt}$

• How

a) to do the integral $\theta = \int \omega dt$?

b) to make $\omega \propto VI \cos \phi$?



b) How $\omega \propto VI \cos \phi$?

Actually, torque should be proportional to $VI \cos \phi$?

$$\dot{\omega} + b\omega = Z \propto VI \cos \phi$$

$$\left[\begin{array}{l} \text{as } \omega \equiv \dot{\theta}, \\ \dot{\theta} + b\theta = Z \end{array} \right.$$

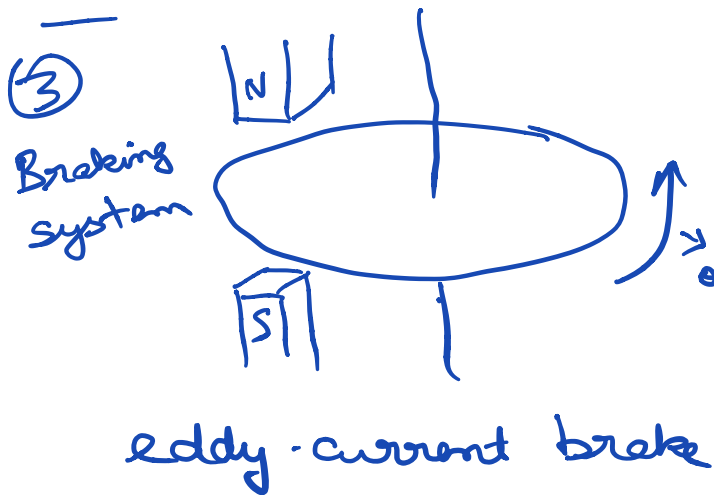
this is similar to previous second order equations we have seen, except there is no "spring constant" term, as there is no spring — we do not want ' θ ' to be "restored" to initial position]

$$\dot{\omega} + b\omega = K VI \cos\phi \quad \rightarrow \text{constant}$$

Is this what we want?

Yes, as final value $\omega \propto VI \cos\phi$

Then, we need to design mechanism to make - 'b ω ' term \rightarrow damping term, braking torque
 - 'VI cos ϕ ' term \rightarrow generating torque



What is braking torque proportional to?

$$\tau_b \propto \omega$$

$$= b\omega$$

↑
a constant

④ Generating System

$$\tau \propto VI \cos\phi$$