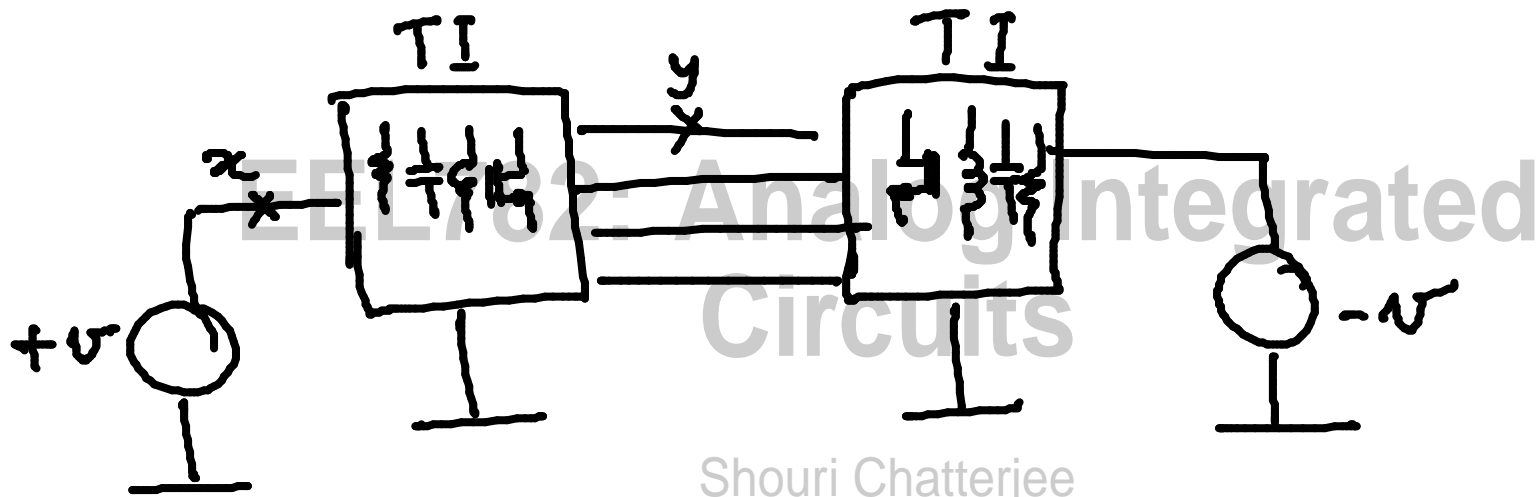


# Balanced networks



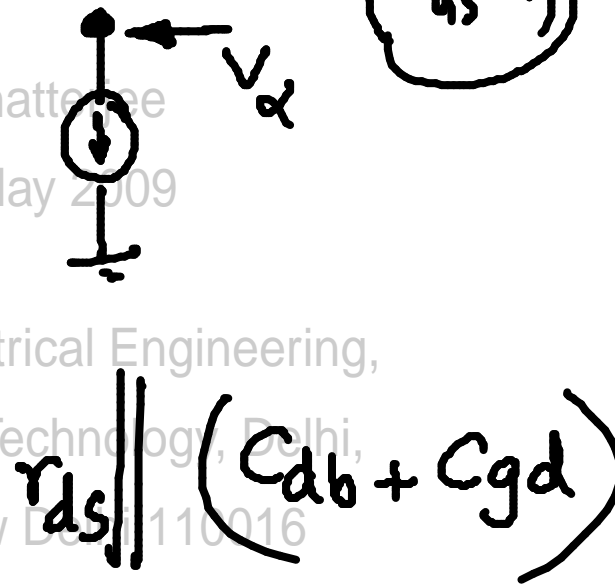
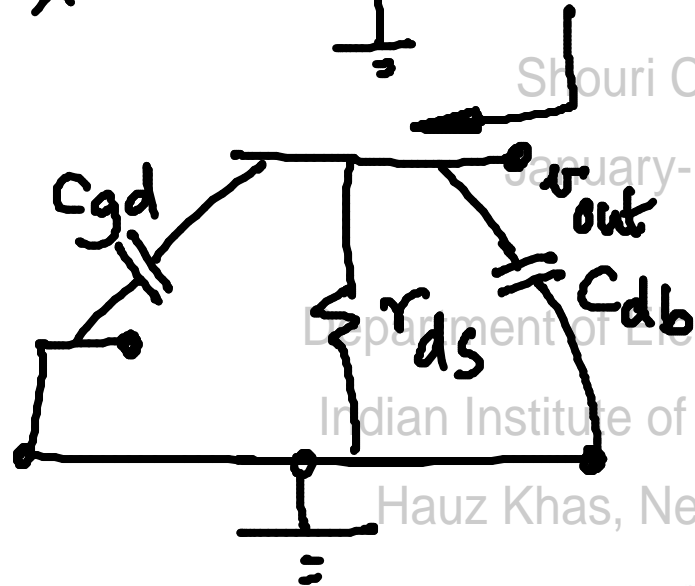
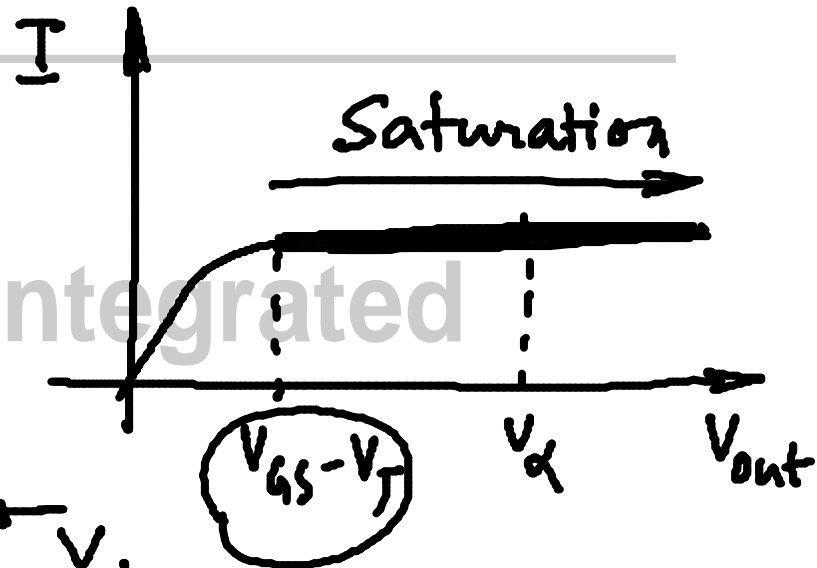
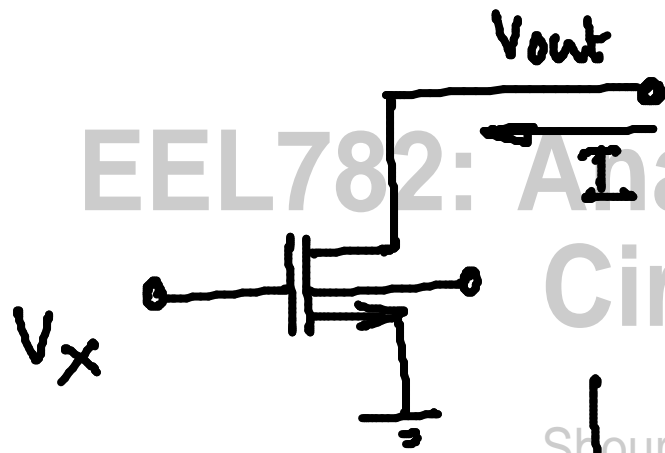
Shouri Chatterjee

January-May 2009

$$y = f(x) = a_0 + a_1 x + a_2 x^2 + \dots \dots a_n x^n + \dots \dots$$

Inputs	Voltages	Currents
+V, -V	No odd harms, No fund	No even harms, No DC
+V, +V	No even harms, No DC	No odd harms, No fund

# Current Sources



$$r_{ds} \parallel \frac{1}{s(C_{gd} + C_{db})} = \frac{r_{ds}}{1 + s(C_{gd} + C_{db})r_{ds}}$$

Pole at  $-\frac{1}{r_{ds}(C_{gd} + C_{db})}$

$g_m r_{ds} \rightarrow$  not going to exceed 20

$$I_{DS} = \frac{\mu C_{ox}}{2} \frac{W}{L} (V_{GS} - V_T)^2 \quad \left| \begin{array}{l} SI \\ Sat \end{array} \right. \quad \begin{array}{l} V_{GS} - V_T > \frac{6kT}{q} \\ V_{DS} > V_{GS} - V_T \end{array}$$

$$g_m = \frac{\partial I_{DS}}{\partial V_{GS}} = \mu C_{ox} \frac{W}{L} (V_{GS} - V_T)$$

$$= \frac{2I_{DS}}{V_{GS} - V_T} = \sqrt{2I_{DS} \mu C_{ox} \frac{W}{L}}$$