Type-Checking

## Where We Are



Lexical Analysis

Syntax Analysis

Semantic Analysis

**IR Generation** 

**IR** Optimization

**Code Generation** 

Optimization

Machine Code

```
void doSomething() {
    int[] x;
    x = new string;
```

```
x[5] = myInteger * y;
```

```
void doSomething() {
```

```
}
int fibonacci(int n) {
    return doSomething() + fibonacci(n - 1);
}
```











## What Remains to Check?

- Type errors.
- Today:
  - What are types?
  - What is type-checking?
  - A type system for Decaf.

# What is a Type?

- This is the subject of some debate.
- To quote Alex Aiken:
  - "The notion varies from language to language.
  - The consensus:
    - A set of values.
    - A set of operations on those values"
- **Type errors** arise when operations are performed on values that do not support that operation.

# Types of Type-Checking

#### • Static type checking.

- Analyze the program during compile-time to prove the absence of type errors.
- Never let bad things happen at runtime.

#### • Dynamic type checking.

- Check operations at runtime before performing them.
- More precise than static type checking, but usually less efficient.
- (Why?)

#### • No type checking.

• Throw caution to the wind!

## Type Systems

- The rules governing permissible operations on types forms a type system.
- **Strong type systems** are systems that never allow for a type error.
  - Java, Python, JavaScript, LISP, Haskell, etc.
- Weak type systems can allow type errors at runtime.
  - C, C++

## Type Wars

- *Endless* debate about what the "right" system is.
- Dynamic type systems make it easier to prototype; static type systems have fewer bugs.
- Strongly-typed languages are more robust, weakly-typed systems are often faster.

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- I'm staying out of this!

## Our Focus

- Decaf is typed **statically** and **weakly**:
  - Type-checking occurs at compile-time.
  - Runtime errors like dereferencing **null** or an invalid object are allowed.
- Decaf uses **class-based inheritance**.
- Decaf distinguishes primitive types and classes.

# Typing in Decaf

# Static Typing in Decaf

- Static type checking in Decaf consists of two separate processes:
  - Inferring the type of each expression from the types of its components.
  - Confirming that the types of expressions in certain contexts matches what is expected.
- Logically two steps, but you will probably combine into one pass.

while  $(numBitsSet(x + 5) \le 10)$  {

while (numBitsSet(x + 5) <= 10) {

while  $(numBitsSet(x + 5) \le 10)$  {

```
if (1.0 + 4.0) {
    /* ... */
}
while (5 == null) {
    /* ... */
}
```

while  $(numBitsSet(x + 5) \le 10)$  {



while  $(numBitsSet(x + 5) \le 10)$  {

while (5 == null) {
 /\* ... \*/
}

while  $(numBitsSet(x + 5) \le 10)$  {



- How do we determine the type of an expression?
- Think of process as **logical inference**.

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## Type Checking as Proofs

- We can think of syntax analysis as proving claims about the types of expressions.
- We begin with a set of **axioms**, then apply our **inference rules** to determine the types of expressions.
- Many type systems can be thought of as proof systems.

## Sample Inference Rules

- "If x is an identifier that refers to an object of type t, the expression x has type t."
- "If e is an integer constant, e has type int."
- "If the operands e<sub>1</sub> and e<sub>2</sub> of e<sub>1</sub> + e<sub>2</sub> are known to have types int and int, then e<sub>1</sub> + e<sub>2</sub> has type int."